

Centers and perspectors of bicevian-, bianticevian-, bipedal-, biantipedal-, bicircumcevian- and bicircumanticevian- iniconics.

The appearance of (i, j, m) in the following list means that the **bicevian iniconic** of X(i) and X(j) has center X(m):

(1, 2, 512), (1, 3, 39201), (1, 4, 512), (1, 5, 65784), (1, 6, 669), (1, 7, 2488), (1, 8, 65442), (1, 9, 8641), (1, 10, 42661), (2, 3, 58305), (2, 4, **512**), (2, 5, 65785), (2, 6, 688), (2, 7, 513), (2, 8, 3900), (2, 9, 6607), (2, 10, 6367), (3, 4, 65788), (3, 5, 65789), (3, 6, 58310), (3, 7, 65790), (3, 8, 65791), (3, 9, 65792), (3, 10, 65793), (4, 5, 65794), (4, 6, 65485), (4, 7, 2520), (4, 8, 65445), (4, 9, 65795), (4, 10, 65796), (5, 6, 65797), (5, 7, 65798), (5, 8, 65799), (5, 9, 65800), (5, 10, 65801), (6, 7, 65464), (6, 8, 65447), (6, 9, 65802), (6, 10, 65803), (7, 8, 17115), (7, 9, 65804), (7, 10, 65805), (8, 9, 4524), (8, 10, 65806), (9, 10, 65807)

The appearance of (i, j, m, n) in the following list means that the **bianticevian iniconic** of X(i) and X(j) has center X(m) and perspector X(n) (Zero values mean not calculated):

(1, 2, 10, 86), (1, 3, 59681, 21), (1, 4, 59644, 29), (1, 5, 59671, 3615), (1, 6, 4640, 81), (1, 7, 10164, 21453), (1, 8, 59579, 1222), (1, 9, 1376, 2), (1, 10, 17355, 1220), (1, 11, 65808, 40450), (2, 3, 5, 95), (2, 4, 3, 264), (2, 5, 140, 40410), (2, 6, 141, 83), (2, 7, 9, 85), (2, 8, 1, 75), (2, 9, 142, 32008), (2, 10, 1125, 1268), (2, 11, 3035, 56365), (3, 4, 59657, 1105), (3, 5, 65809, 40448), (3, 6, 9306, 2), (3, 7, 59613, 65810), (3, 8, 59594, 65811), (3, 9, 65702, 55987), (3, 10, 40942, 65812), (3, 11, 65813, 0), (4, 5, 59649, 14860), (4, 6, 10192, 275), (4, 7, 59606, 34398), (4, 8, 59578, 34406), (4, 9, 59645, 40444), (4, 10, 59646, 40445), (4, 11, 65814, 65815), (5, 6, 6676, 40393), (5, 7, 59611, 0), (5, 8, 59588, 0), (5, 9, 65816, 65817), (5, 10, 40937, 0), (5, 11, 65818, 0), (6, 7, 59607, 63148), (6, 8, 59580, 2985), (6, 9, 59691, 23617), (6, 10, 59692, 40394), (6, 11, 40560, 65819), (7, 8, 59572, 8817), (7, 9, 59610, 23618), (7, 10, 20103, 65820), (7, 11, 59458, 65821), (8, 9, 59584, 333), (8, 10, 59585, 65822), (8, 11, 3039, 65823), (9, 10, 13405, 40435), (9, 11, 65824, 65825), (10, 11, 24036, 65826)

The appearance of (i, j, m, n) in the following list means that the **bicircumcevian iniconic** of X(i) and X(j) has center X(m) and perspector X(n) (Zero values mean not calculated):

(1, 3, 514, 36118), (1, 4, 65424, 0), (1, 6, 65831, 65832), (1, 8, 65833, 0), (1, 9, 65834, 0), (2, 3, 65389, 65835), (2, 4, 65419, 648), (2, 6, 65420, 65836), (3, 4, 512, 65837), (3, 5, 65838, 0), (3, 6, 65390, 65839), (3, 8, 65840, 0), (4, 5, 65841, 0), (4, 6, 65425, 0)

The appearance of (i, j, m, n) in the following list means that the **bicircumanticevian inconic** of $X(i)$ and $X(j)$ has center $X(m)$ and perspector $X(n)$ (Zero values mean not calculated):

(1, 2, 65424, 0), (1, 6, 514, 190), (1, 9, 65842, 65216), (2, 4, 65843, 0), (2, 6, 512, 670), (3, 6, 52584, 4558), (4, 6, 52585, 15352), (5, 6, 65844, 65845), (6, 7, 65846, 65847), (6, 8, 65848, 65849), (6, 9, 4521, 3699), (6, 10, 52586, 65850), (6, 11, 65851, 65852)

The appearance of (i, j, m, n) in the following list means that the **bipedal inconic** of $X(i)$ or $X(j)$ has center $X(m)$ and perspector $X(n)$ (Zero values mean not calculated):

(2, 6, 65634, 43956), (3, 4, 512, 0), (13, 15, 0, 65827), (14, 16, 0, 65828), (20, 64, 65829, 0)

The appearance of (i, j, m, n) in the following list means that the **biantipedal inconic** of $X(i)$ or $X(j)$ has center $X(m)$ and perspector $X(n)$ (Zero values mean not calculated):

(2, 6, 65830, 0), (3, 4, 141, 83), (20, 64, 59657, 1105)