

## BARYCENTRIC COORDINATES OF LATERAL INCONICS RELATED TRIANGLES

The following table contains the barycentric coordinates of the A-perspectors-triangle and the A-centers-triangle of the lateral inconics of (U, X). In this table,  $u=\sqrt{a}$ ,  $v=\sqrt{b}$ ,  $w=\sqrt{c}$  and  $x=\sqrt{-a+b+c}$ ,  $y=\sqrt{a-b+c}$ ,  $z=\sqrt{a+b-c}$ .

U, X	Perspector of the A-lateral inconic(U, X)	Center of the A-lateral inconic(U, X)
1, 2	$\{a/(u^2(v-w)^2),$ $b/(v^2(u+w)^2),$ $c/((u+v)^2w^2)\}$	$\{a*(b*(u+v)^2w^2+c*v^2*(u+w)^2),$ $b*(c*u^2*(v-w)^2+a*(u+v)^2w^2),$ $c*(b*u^2*(v-w)^2+a*v^2*(u+w)^2)\}$
1, 6	$\{a/(v-w)^2,$ $b/(u+w)^2,$ $c/(u+v)^2\}$	$\{a*(b*(u+v)^2+c*(u+w)^2),$ $b*(a*(u+v)^2+c*(v-w)^2),$ $c*(b*(v-w)^2+a*(u+w)^2)\}$
1, 7	$\{a/(u^2x^2*(v*y-w*z)^2),$ $b/(v^2y^2*(u*x+w*z)^2),$ $c/(w^2*(u*x+v*y)^2z^2)\}$	$\{a*(b*w^2*(u*x+v*y)^2z^2+c*v^2*y^2*(u*x+w*z)^2),$ $b*(a*w^2*(u*x+v*y)^2z^2+c*u^2*x^2*(v*y-w*z)^2),$ $c*(b*u^2*x^2*(v*y-w*z)^2+a*v^2*y^2*(u*x+w*z)^2)\}$
1, 8	$\{a/(u^2*(w*y-v*z)^2),$ $b/(v^2*(w*x+u*z)^2),$ $c/(w^2*(v*x+u*y)^2)\}$	$\{a*(b*w^2*(v*x+u*y)^2+c*v^2*(w*x+u*z)^2),$ $b*(a*w^2*(v*x+u*y)^2+c*u^2*(w*y-v*z)^2),$ $c*(a*v^2*(w*x+u*z)^2+b*u^2*(w*y-v*z)^2)\}$
1, 55	$\{a/(v*y-w*z)^2,$ $b/(u*x+w*z)^2,$ $c/(u*x+v*y)^2\}$	$\{a*(b*(u*x+v*y)^2+c*(u*x+w*z)^2),$ $b*(a*(u*x+v*y)^2+c*(v*y-w*z)^2),$ $c*(b*(v*y-w*z)^2+a*(u*x+w*z)^2)\}$
1, 56	$\{a/(x^2*(w*y-v*z)^2),$ $b/(y^2*(w*x+u*z)^2),$ $c/((v*x+u*y)^2z^2)\}$	$\{a*(b*(v*x+u*y)^2z^2+c*y^2*(w*x+u*z)^2),$ $b*(a*(v*x+u*y)^2z^2+c*x^2*(w*y-v*z)^2),$ $c*(a*y^2*(w*x+u*z)^2+b*x^2*(w*y-v*z)^2)\}$
2, 6	$\{a/(u^2*(v^2-w^2)^2),$ $b/(v^2*(u^2+w^2)^2),$ $c/((u^2+v^2)^2w^2)\}$	$\{a*(b*(u^2+v^2)^2w^2+c*v^2*(u^2+w^2)^2),$ $b*(a*(u^2+v^2)^2w^2+c*u^2*(v^2-w^2)^2),$ $c*(b*u^2*(v^2-w^2)^2+a*v^2*(u^2+w^2)^2)\}$
2, 7	$\{a/(u^2x^2*(y-z)^2),$ $b/(v^2y^2*(x+z)^2),$ $c/(w^2*(x+y)^2z^2)\}$	$\{a*(b*w^2*(x+y)^2z^2+c*v^2*y^2*(x+z)^2),$ $b*(c*u^2*x^2*(y-z)^2+a*w^2*(x+y)^2z^2),$ $c*(b*u^2*x^2*(y-z)^2+a*v^2*y^2*(x+z)^2)\}$
2, 8	$\{a/(u^2*(y-z)^2),$ $b/(v^2*(x+z)^2),$ $c/(w^2*(x+y)^2)\}$	$\{a*(b*w^2*(x+y)^2+c*v^2*(x+z)^2),$ $b*(a*w^2*(x+y)^2+c*u^2*(y-z)^2),$ $c*(b*u^2*(y-z)^2+a*v^2*(x+z)^2)\}$
2, 55	$\{a/(u^2*(v^2y-w^2z)^2),$ $b/(v^2*(u^2x+w^2z)^2),$ $c/(w^2*(u^2x+v^2y)^2)\}$	$\{a*(b*w^2*(u^2x+v^2y)^2z^2+c*v^2*(u^2x+w^2z)^2),$ $b*(a*w^2*(u^2x+v^2y)^2z^2+c*u^2*(v^2y-w^2z)^2),$ $c*(b*u^2*(v^2y-w^2z)^2+a*v^2*(u^2x+w^2z)^2)\}$
2, 56	$\{a/(u^2x^2*(w^2y-v^2z)^2),$ $b/(v^2y^2*(w^2x+u^2z)^2),$ $c/(w^2*(v^2x+u^2y)^2z^2)\}$	$\{a*(b*w^2*(v^2x+u^2y)^2z^2+c*v^2*y^2*(w^2x+u^2z)^2),$ $b*(a*w^2*(v^2x+u^2y)^2z^2+c*u^2*x^2*(w^2y-v^2z)^2),$ $c*(a*v^2*y^2*(w^2x+u^2z)^2+b*u^2*x^2*(w^2y-v^2z)^2)\}$
6, 7	$\{a/(u^2x^2*(v^2y-w^2z)^2),$ $b/(v^2y^2*(u^2x+w^2z)^2),$ $c/(w^2*(u^2x+v^2y)^2z^2)\}$	$\{a*(b*w^2*(u^2x+v^2y)^2z^2+c*v^2*y^2*(u^2x+w^2z)^2),$ $b*(a*w^2*(u^2x+v^2y)^2z^2+c*u^2*x^2*(v^2y-w^2z)^2),$ $c*(b*u^2*x^2*(v^2y-w^2z)^2+a*v^2*y^2*(u^2x+w^2z)^2)\}$
6, 8	$\{a/(u^2*(w^2y-v^2z)^2),$ $b/(v^2*(w^2x+u^2z)^2),$ $c/(w^2*(v^2x+u^2y)^2)\}$	$\{a*(b*w^2*(v^2x+u^2y)^2z^2+c*v^2*(w^2x+u^2z)^2),$ $b*(a*w^2*(v^2x+u^2y)^2z^2+c*u^2*(w^2y-v^2z)^2),$ $c*(a*v^2*(w^2x+u^2z)^2+b*u^2*(w^2y-v^2z)^2)\}$
6, 55	$\{(a*u^2)/(y-z)^2,$ $(b*v^2)/(x+z)^2,$ $(c*w^2)/(x+y)^2\}$	$\{a*u^2*(b*v^2*(x+y)^2+c*w^2*(x+z)^2),$ $b*v^2*(a*u^2*(x+y)^2+c*w^2*(y-z)^2),$ $c*w^2*(b*v^2*(y-z)^2+a*u^2*(x+z)^2)\}$

U, X	Perspector of the A-lateral inconic(U, X)	Center of the A-lateral inconic(U, X)
6, 56	$\{ (a^2u^2)/(x^2(y-z)^2), (b^2v^2)/(y^2(x+z)^2), (c^2w^2)/(z^2(x+y)^2) \}$	$\{ a^2u^2(b^2v^2(x+y)^2z^2+c^2w^2y^2(x+z)^2), b^2v^2(c^2w^2x^2(y-z)^2+a^2u^2(x+y)^2z^2), c^2w^2(b^2v^2x^2(y-z)^2+a^2u^2y^2(x+z)^2) \}$
7, 8	$\{ a/(u^2x^2(y^2-z^2)^2), b/(v^2y^2(x^2+z^2)^2), c/(w^2z^2(x^2+y^2)^2) \}$	$\{ a(b^2w^2z^2(x^2+y^2)^2+c^2v^2y^2(x^2+z^2)^2), b(a^2w^2z^2(x^2+y^2)^2+c^2u^2x^2(y^2-z^2)^2), c(b^2u^2x^2(y^2-z^2)^2+a^2v^2y^2(x^2+z^2)^2) \}$
7, 55	$\{ a/(u^2x^2(v^2y^2-w^2z^2)^2), b/(v^2y^2(u^2x^2+w^2z^2)^2), c/(w^2z^2(u^2x^2+v^2y^2)^2) \}$	$\{ a(b^2w^2z^2(u^2x^2+v^2y^2)^2+c^2v^2y^2(u^2x^2+w^2z^2)^2), b(a^2w^2z^2(u^2x^2+v^2y^2)^2+c^2u^2x^2(v^2y^2-w^2z^2)^2), c(b^2u^2x^2(v^2y^2-w^2z^2)^2+a^2v^2y^2(u^2x^2+w^2z^2)^2) \}$
7, 56	$\{ a/(u^2x^2(v^2-w^2)^2), b/(v^2y^2(u^2+w^2)^2), c/(w^2z^2(u^2+v^2)^2) \}$	$\{ a(c^2v^2y^2(u^2+w^2)^2+b^2w^2z^2(u^2+v^2)^2), b(c^2u^2x^2(v^2-w^2)^2+a^2w^2z^2(u^2+v^2)^2), c(b^2u^2x^2(v^2-w^2)^2+a^2v^2y^2(u^2+w^2)^2) \}$
8, 55	$\{ (a^2x^2)/(u^2(v^2-w^2)^2), (b^2y^2)/(v^2(u^2+w^2)^2), (c^2z^2)/(w^2(u^2+v^2)^2) \}$	$\{ a^2x^2(b^2w^2y^2(u^2+v^2)^2+c^2v^2z^2(u^2+w^2)^2), b^2y^2(a^2w^2x^2(u^2+v^2)^2+c^2u^2z^2(v^2-w^2)^2), c^2z^2(a^2v^2x^2(u^2+w^2)^2+b^2u^2y^2(v^2-w^2)^2) \}$
8, 56	$\{ a/(u^2x^2(w^2y^2-v^2z^2)^2), b/(v^2y^2(w^2x^2+u^2z^2)^2), c/(w^2z^2(v^2x^2+u^2y^2)^2) \}$	$\{ a(b^2w^2z^2(v^2x^2+u^2y^2)^2+c^2v^2y^2(w^2x^2+u^2z^2)^2), b(a^2w^2z^2(v^2x^2+u^2y^2)^2+c^2u^2x^2(-w^2y^2+v^2z^2)^2), c(a^2v^2y^2(w^2x^2+u^2z^2)^2+b^2u^2x^2(-w^2y^2+v^2z^2)^2) \}$
55, 56	$\{ (a^2u^2)/(x^2(y^2-z^2)^2), (b^2v^2)/(y^2(x^2+z^2)^2), (c^2w^2)/(z^2(x^2+y^2)^2) \}$	$\{ a^2u^2(b^2v^2z^2(x^2+y^2)^2+c^2w^2y^2(x^2+z^2)^2), b^2v^2(a^2u^2z^2(x^2+y^2)^2+c^2w^2x^2(y^2-z^2)^2), c^2w^2(a^2u^2y^2(x^2+z^2)^2+b^2v^2x^2(y^2-z^2)^2) \}$
PU(1)	$\{ (a^2u^2)/(u^4-v^2w^2)^2, (b^2v^2)/(v^4+u^2w^2)^2, (c^2w^2)/(w^4+u^2v^2)^2 \}$	$\{ a^2u^2(b^2v^2(w^4+u^2v^2)^2+c^2w^2(v^4+u^2w^2)^2), b^2v^2(a^2u^2(w^4+u^2v^2)^2+c^2w^2(u^4+v^2w^2)^2), c^2w^2(a^2u^2(v^4+u^2w^2)^2+b^2v^2(u^4+v^2w^2)^2) \}$
PU(11)	$\{ a/(u^2(u^4-v^2w^2)^2), b/(v^2(v^4+u^2w^2)^2), c/(w^2(w^4+u^2v^2)^2) \}$	$\{ a(b^2w^2(w^4+u^2v^2)^2+c^2v^2(v^4+u^2w^2)^2), b(a^2w^2(w^4+u^2v^2)^2+c^2u^2(u^4-v^2w^2)^2), c(a^2v^2(v^4+u^2w^2)^2+b^2u^2(u^4-v^2w^2)^2) \}$
3, 4	$\{ 1/((b-c)^2(a+b+c)^2(-a^2+b^2+c^2)), 1/((a+b-c)^2(a+c)^2(a^2-b^2+c^2)), 1/((a+b)^2(a-b+c)^2(a^2+b^2-c^2)) \}$	$\{ a(-2a^6-2a^5(b+c)+2a^3(b-c)(b^2-c^2)+4a^2b(b-c)c^2+(b^2-c^2)^2(b^2-c^2)^2+a^4(b^2-4b^2c+c^2)+2a^2(b-c)^2(b^2+3b^2c+c^2)), b(-a^6-2a^5c+2a^3(b-c)(b^2-2c^2)+a^4(2b^2-4b^2c+c^2)+a^2(b-c)(b^3+b(3b-5c)c-c^3)-2a^2(b-c)^2(b^3+c^3)-(b-c)(b^2-c^2)(2b^3+b^2c+c^3)), c(-a^6-2a^5b+2a^3(b-c)(2b^2-c^2)+a^4(b^2-4b^2c+c^2)+a^2(b-c)(b^3+b(5b-3c)c-c^3)-2a^2(b-c)^2(b^3+c^3)-(b-c)(b^2-c^2)(b^3+b^2c+c^3)) \}$